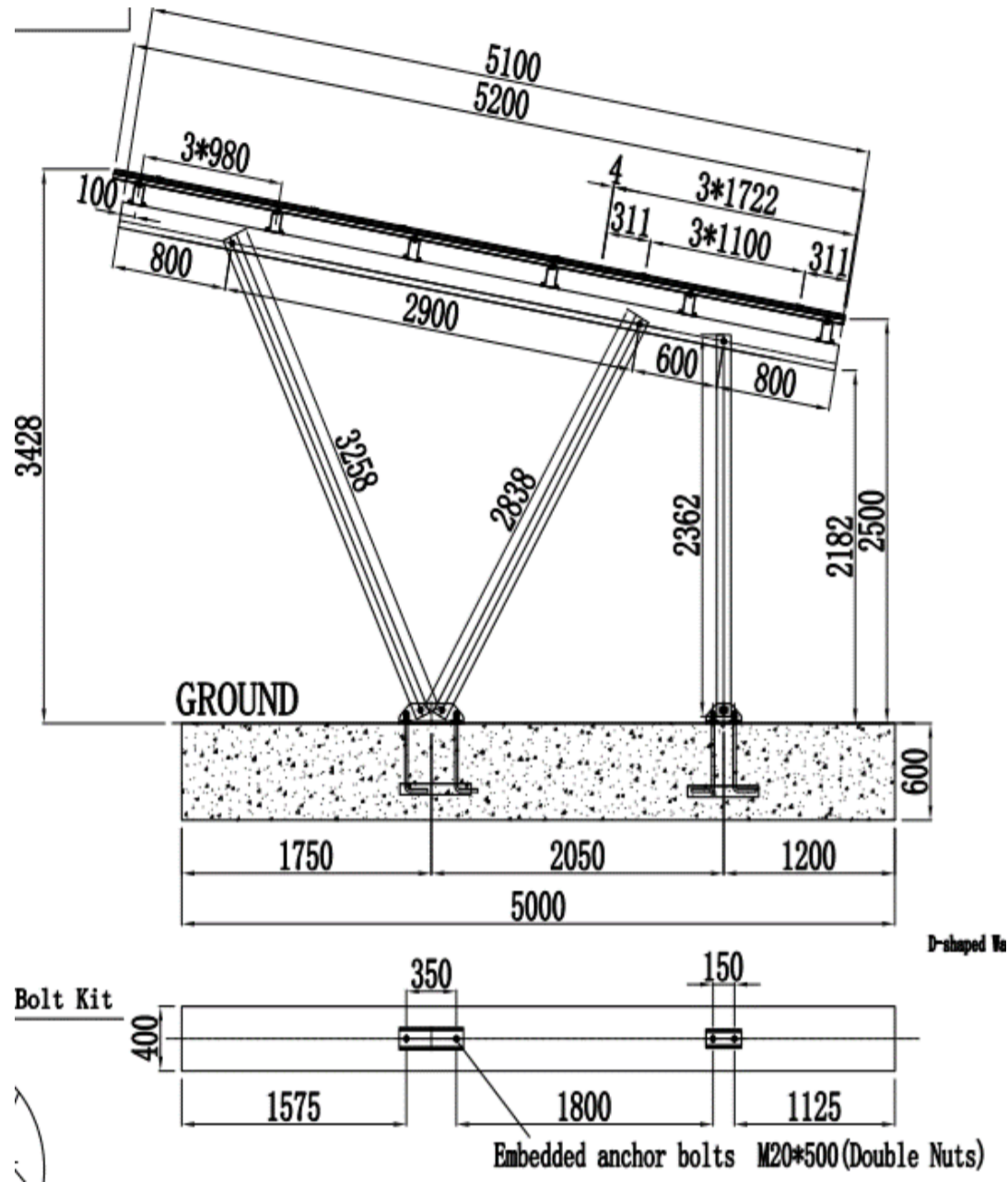


Mechanics calculation



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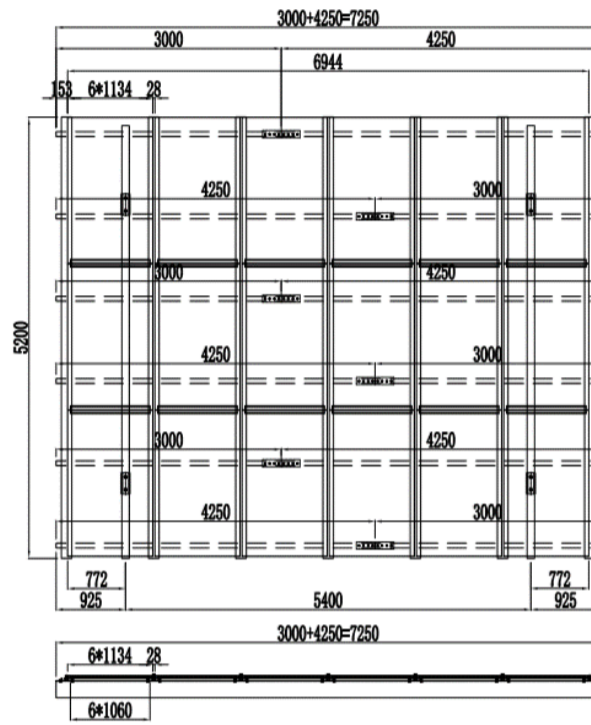
1. Introduction

1.1 System Review

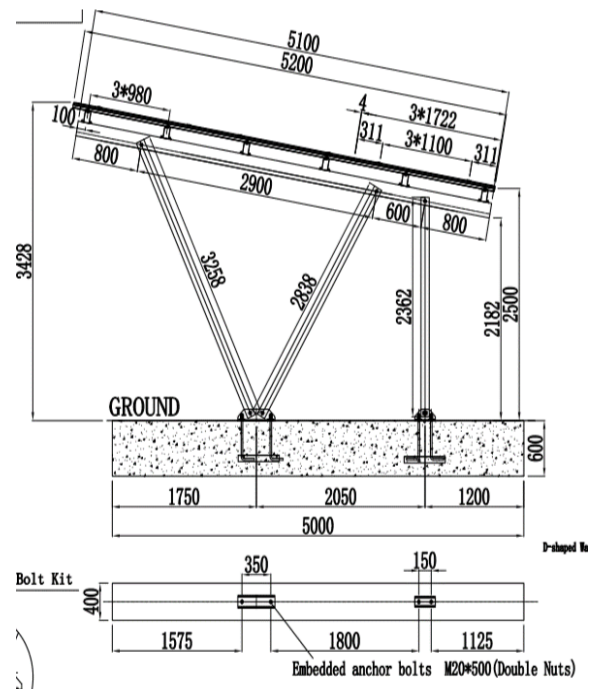
- Solar Panel : L 1722 * W 1134 * H 30 24 Kg
- Layout: 3 * 6
- Angle: 10 °
- Span: 5400 mm
- Load of snow accumulation on the ground:
 $S_k = 0,9 \text{ kN/m}^2$
- Load of wind accumulation on the ground:
 $V = 40 \text{ m/s}$

Sketch of bracket :

- Front view



- Front view



2. Load calculation

2.1 Dead load

● Solar Panel:

$$\text{Dead-weight of panel } G1 = 23,6 \text{ kg} = 231,28 \text{ N}$$

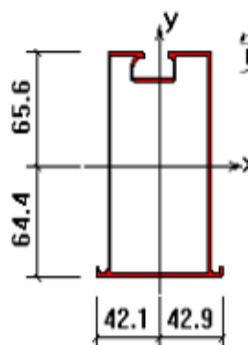
$$\text{Standard load of panel : } G1/m^2 = 231,28 \text{ N} / (1,722 \times 1,134) = 118,4382 \text{ N/m}^2$$

(Load for every square meter of solar module)

● Wide Rail 130 AL6005

Elasticity modulus $E=7 \times 10^6 \text{ N/cm}^2$ (Elastic modulus of aluminum alloy)

Tensile/compressive/bending strength $f= 24000 \text{ N/cm}^2$ (Yield strength of aluminum alloy)



A	905,4674525	I_p	2982085,977
I_x	2186112,591	I_y	795973,3866
i_x	49,136	i_y	29,64919
$W_x(\text{Top})$	33332,1405	$W_y(\text{Left})$	18891,32675
$W_x(\text{Down})$	33938,3246	$W_y(\text{Right})$	18569,0175
Area Moment Around X Axis	20250,96086	Area Moment Around Y Axis	12568,618
Distance from Centroid to Left Edge	42,134	Distance from Centroid to Right Edge	42,8656
Distance from Centroid to Top Edge	65,5857	Distance from Centroid to Bottom Edge	64,414
Principal Moment I1	2186320,168	Direction of Principal Moment 1	(1.000, 0.000)
Principal Moment I2	795765,81	Direction of Principal Moment 2	(0.000, 1.000)

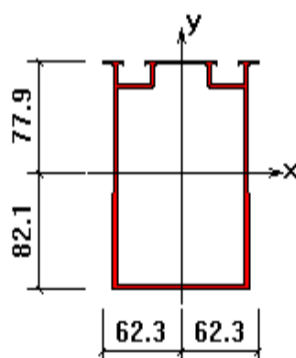
$$\text{Dead-weight of Rail } G2 = 7,25 \text{ mm} \times 2,44476 \text{ kg/m} = 17,7245 \text{ kg} = 173,7003488 \text{ N}$$

$$\text{Standard load of Rail } G2/m = 2,444762 \text{ kg/m} = 23,9587 \text{ N/m}$$

● Beam 160 AL6005

Elasticity modulus $E=7 \times 10^6 \text{ N/cm}^2$ (Elastic modulus of aluminum alloy)

Tensile/compressive/bending strength $f= 24000 \text{ N/cm}^2$ (Yield strength of aluminum alloy)



A	1668,984	I_p	2960362,639
I_x	5879739,594	I_y	3420737,664
i_x	59,354	i_y	45,272
$W_x(\text{Top})$	75497,03354	$W_y(\text{Left})$	54907,5066
$W_x(\text{Down})$	71599,715	$W_y(\text{Right})$	54907,5066
Area Moment Around X Axis	45298,90144	Area Moment Around Y Axis	35537,07587
Distance from Centroid to Left Edge	62,3	Distance from Centroid to Right Edge	62,3
Distance from Centroid to Top Edge	77,88	Distance from Centroid to Bottom Edge	82,11959
Principal Moment I1	5879739,594	Direction of Principal Moment 1	(1.000, 0.000)
Principal Moment I2	3420737,665	Direction of Principal Moment 2	(0.000, 1.000)

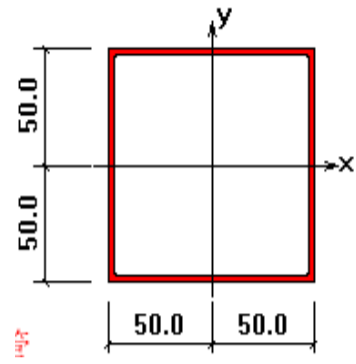
$$\text{Dead-weight of Gider } G3 = 5,1 \text{ mm} \times 4,50626 \text{ kg/m} = 22,98191 \text{ kg} = 225,2227 \text{ N}$$

$$\text{Standard load of Rail } G2/m = 4,506257 \text{ kg/m} = 44,1613 \text{ N/m}$$

● Post AL6005

Elasticity modulus $E=20.6 \times 10^6 \text{ N/cm}^2$ (Elastic modulus of aluminum alloy)

Tensile/compressive/bending strength $f= 24000 \text{ N/cm}^2$ (Yield strength of aluminum alloy)



A	1161,42477	I_p	3641076,844
I_x	1820538,422	I_y	1820538,422
i_x	39,5917	i_y	39,5917
$W_x(\text{Top})$	36410,768	$W_y(\text{Left})$	36410,768
$W_x(\text{Down})$	36410,768	$W_y(\text{Right})$	36410,768
Area Moment Around X Axis	2774,898186	Area Moment Around Y Axis	3783,352283
Distance from Centroid to Left Edge	50	Distance from Centroid to Right Edge	50
Distance from Centroid to Top Edge	50	Distance from Centroid to Bottom Edge	50
Principal Moment I1	1820538,422	Direction of Principal Moment 1	(1.000,0.000)
Principal Moment I2	1820538,422	Direction of Principal Moment 2	(0.000,1.000)

3.Loads

3.1 Wind Load Calculation

Vb= 40 m/s

Terrain roughness factor calculation :

Terrain IV from design drawing Z= 3 m

$$Cr(Z) = Kr * \ln(Z/Z_0) = 0,19 * (1 / 0,05)^{0,07} * \ln(10 / 1) = 0,54$$

Cr(Z)= Kr*ln(Z/ZO) for Zmin≤Z≤Zmax

Cr(Z)= Cr (Zmin) for Z≤Zmin

Where:

$$Kr = 0.19 * (Z_0 / Z_{O II})^{0.07}$$

Zo = 1 m (is the roughness length for terrain category III taken form Table 4.1)

Zmin = 10 m (is minimum height for terrain category III taken form Table 4.1)

ZO II = 0,05 m (terrain category II taken form Table 4.1)

Zmax is to be taken as 200m

Table 4.1 — Terrain categories and terrain parameters

Terrain category	z ₀ m	z _{min} m
0 Sea or coastal area exposed to the open sea	0,003	1
I Lakes or flat and horizontal area with negligible vegetation and without obstacles	0,01	1
II Area with low vegetation such as grass and isolated obstacles (trees, buildings) with separations of at least 20 obstacle heights	0,05	2
III Area with regular cover of vegetation or buildings or with isolated obstacles with separations of maximum 20 obstacle heights (such as villages, suburban terrain, permanent forest)	0,3	5
IV Area in which at least 15 % of the surface is covered with buildings and their average height exceeds 15 m	1,0	10

The terrain categories are illustrated in Annex A.1.

Height Z, average wind speed :

$$V_m(Z) = C_r(Z) * C_o(Z) * V_b = 0,53956 * 1 * 40 = 21,5825 \text{ m/s}$$

Where:

$C_o(Z)$ is orography factor, taken as 1.0

$C_r(Z)$ is roughness factor

Wind turbulence calculation

From the design drawing $Z = 3 \text{ m}$

$$I_v(Z) = \sigma_v / V_m(Z) = K_1 / \{C_o * \ln(Z/Z_o)\} = 1 / (1 * \ln(10 / 1)) = 0,434$$

$$I_v(Z) = \sigma_v / V_m(Z) = K_1 / \{C_o(Z) * \ln(Z/Z_o)\} \text{ for } Z_{min} \leq Z \leq Z_{max}$$

$$I_v(Z) = I_v(Z_{min}) \text{ for } Z \leq Z_{min}$$

Where:

K_1 is turbulence factor, taken as 1

C_o is the orography factor, taken as 1

Z_o is roughness length, taken as 1 m, given in Table 4.1

Calculation of peak velocity pressure :

$$\begin{aligned} q_p(Z) &= \{1 + 7 * I_v(Z)\} * 0,5 * \rho * V_m^2(Z) = (1 + 7 * 0,434) * 0,5 * 1,25 * 21,58^2 * 21,5825 \\ &= 1176,171743 \text{ N/m}^2 \end{aligned}$$

Where:

$q_p(Z)$ is the peak velocity pressure (N/m²)

ρ is the air density, taken as 1.25 kg/m³

$I_v(Z)$ is the turbulence intensity,

$V_m(Z)$ is the mean wing velocity,

wind load on solar panel :

$$W = qp(Z) * C_{p.net}$$

Where:

W is the net wind pressure(N/m²)

qp(Z) is the peak velocity pressure at height h as show in Figure 7.16-BS EN1991-1-4:2005

C_{p.net} is net pressure coefficient determined from Table 7.4a-BS EN1991-1-4:2005 as the below

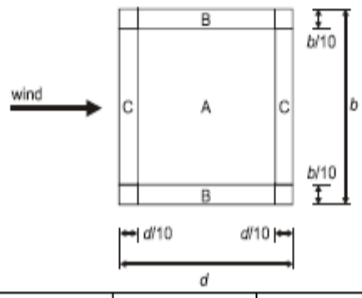
From sheet 7.4a, when tilt angle 10 ° positive pressure C_{p.net}= 1,2 ;

negative pressure C_{p.net}= -1,5

positive pressure : $W1 = 1176,17 * 1,2 = 1411,41 \text{ N/m}^2$;

negative pressure : $W2 = 1176,17 * -1,5 = -1764,3 \text{ N/m}^2$

Table 7.6 — $c_{p.net}$ and c_f values for monopitch canopies

Net Pressure coefficients $c_{p.net}$					
Key plan					
					
Roof angle α	Blockage ϕ	Overall Force Coefficients c_f	Zone A	Zone B	Zone C
0°	Maximum all ϕ	+ 0,2	+ 0,5	+ 1,8	+ 1,1
	Minimum $\phi = 0$	- 0,5	- 0,6	- 1,3	- 1,4
	Minimum $\phi = 1$	- 1,3	- 1,5	- 1,8	- 2,2
5°	Maximum all ϕ	+ 0,4	+ 0,8	+ 2,1	+ 1,3
	Minimum $\phi = 0$	- 0,7	- 1,1	- 1,7	- 1,8
	Minimum $\phi = 1$	- 1,4	- 1,6	- 2,2	- 2,5
10°	Maximum all ϕ	+ 0,5	+ 1,2	+ 2,4	+ 1,6
	Minimum $\phi = 0$	- 0,9	- 1,5	- 2,0	- 2,1
	Minimum $\phi = 1$	- 1,4	- 2,1	- 2,6	- 2,7
15°	Maximum all ϕ	+ 0,7	+ 1,4	+ 2,7	+ 1,8
	Minimum $\phi = 0$	- 1,1	- 1,8	- 2,4	- 2,5
	Minimum $\phi = 1$	- 1,4	- 1,6	- 2,9	- 3,0
20°	Maximum all ϕ	+ 0,8	+ 1,7	+ 2,9	+ 2,1
	Minimum $\phi = 0$	- 1,3	- 2,2	- 2,8	- 2,9
	Minimum $\phi = 1$	- 1,4	- 1,6	- 2,9	- 3,0
25°	Maximum all ϕ	+ 1,0	+ 2,0	+ 3,1	+ 2,3
	Minimum $\phi = 0$	- 1,6	- 2,6	- 3,2	- 3,2
	Minimum $\phi = 1$	- 1,4	- 1,5	- 2,5	- 2,8
30°	Maximum all ϕ	+ 1,2	+ 2,2	+ 3,2	+ 2,4
	Minimum $\phi = 0$	- 1,8	- 3,0	- 3,8	- 3,6
	Minimum $\phi = 1$	- 1,4	- 1,5	- 2,2	- 2,7

NOTE + values indicate a net downward acting wind action
- values represent a net upward acting wind action

3.2 Snow load calculation

$$S = \mu_i * C_e * C_t * S_k$$

μ_i is the snow load shape coefficient (from Table 5.2-EN1991-1-3:2003)

S_k is the characteristic value of snow load on the ground

C_e is the exposure coefficient

C_t is the thermal coefficient

(7) The exposure coefficient C_e should be used for determining the snow load on the roof. The choice for C_e should consider the future development around the site. C_e should be taken as 1,0 unless otherwise specified for different topographies.

Table 5.1 Recommended values of C_e for different topographies

Topography	C_e
Windswept ^a	0,8
Normal ^b	1,0
Sheltered ^c	1,2

^a *Windswept topography*: flat unobstructed areas exposed on all sides without, or little shelter afforded by terrain, higher construction works or trees.

^b *Normal topography*: areas where there is no significant removal of snow by wind on construction work, because of terrain, other construction works or trees.

^c *Sheltered topography*: areas in which the construction work being considered is considerably lower than the surrounding terrain or surrounded by high trees and/or surrounded by higher construction works.

(8) The thermal coefficient C_t should be used to account for the reduction of snow loads on roofs with high thermal transmittance ($> 1 \text{ W/m}^2\text{K}$), in particular for some glass covered roofs, because of melting caused by heat loss.

For all other cases:

$$C_t = 1,0$$

Iberian Peninsula	$s_k = (0,190Z - 0,095) \left[1 + \left(\frac{A}{524} \right)^2 \right]$
-------------------	--

5.3.2. Monopitch roofs

(1) The snow load shape coefficient μ_1 that should be used for monopitch roofs is given in Table 5.2 and shown in Figure 5.1 and Figure 5.2.

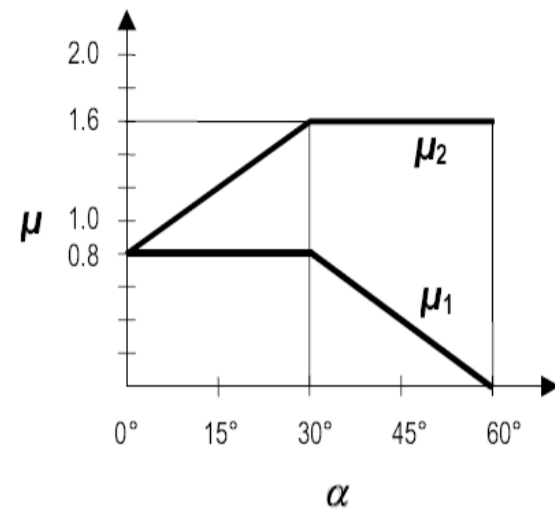


Figure 5.1: Snow load shape coefficients

(2) The values given in Table 5.2 apply when the snow is not prevented from sliding off the roof. Where snow fences or other obstructions exist or where the lower edge of the roof is terminated with a parapet, then the snow load shape coefficient should not be reduced below 0,8.

Table 5.2: Snow load shape coefficients

Angle of pitch of roof α	$0^\circ \leq \alpha \leq 30^\circ$	$30^\circ < \alpha < 60^\circ$	$\alpha \geq 60^\circ$
μ_1	0,8	$0,8(60 - \alpha)/30$	0,0
μ_2	$0,8 + 0,8 \alpha/30$	1,6	--

$$\mu_i = 0,8$$

$$S_k = 0,85 \text{ kN/m}^2$$

$$C_e = 1$$

$$C_t = 1$$

$$S_1 = \mu_i * C_e * C_t * S_k = 0,8 * 1 * 1 * 0,85 = 0,68 \text{ kN/m}^2$$

3.3 Load Combination

Combination second : $0.9 * D + 1.5 * W_s$

Combination of load effects in limit states third: $1.35 * D + 1.5 * W_p + 1.5 * 0.5 * S$

Combination Fourth : $1.35 * D + 1.5 * S + 1.5 * 0.6 * W_p$

4. Strength Calculation

4.1 Applied load

$$\begin{aligned}
 D &= 3 * 6 * G1 + 6 * G2 \\
 &= 3 * 6 * 231,28 + 6 * 173,7003488 = 5205,242093 \text{ N} \\
 A_r &= 3 * 6 * 1,722 * 1,134 = 35,149464 \text{ m}^2 \\
 W_p &= W1 * A_r = 1411,41 * 35,1495 = 49610,16759 \text{ N} \\
 W_s &= W2 * A_r = -1764,3 * 35,1495 = -62012,70949 \text{ N} \\
 S &= S1 * A_r * \cos 10^\circ = 0,68 * 35,149464 * \cos 10^\circ * 1000 = 23538,516 \text{ N} \\
 F1 &= 1,35 * D * \cos 10^\circ + 1,5 * W_p + 1,5 * 0,5 * S * \cos 10^\circ \\
 &= 1,35 * 5205,24 * 0,985 + 1,5 * 49610,2 + 1,5 * 0,5 * 23538,516 * 0,985 \\
 &= 98721,256 \text{ N} \\
 F2 &= 1,35 * D * \sin 10^\circ + 1,5 * 0,5 * S * \sin 10^\circ \\
 &= 1,35 * 5205,24 * 0,174 + 1,5 * 0,5 * 23538,5 * 0,174 \\
 &= 4285,8044 \text{ N} \\
 F3 &= 1,35 * D * \cos 10^\circ + 1,5 * S * \cos 10^\circ + 1,5 * 0,6 * W_p \\
 &= 1,35 * 5205,24 * 0,985 + 1,5 * 23538,5 * 0,985 + 1,5 * 0,6 * 49610,2 \\
 &= 86340,84 \text{ N} \\
 F4 &= 1,35 * D * \sin 10^\circ + 1,5 * S * \sin 10^\circ \\
 &= 1,35 * 5205,24 * 0,174 + 1,5 * 23538,5 * 0,174 \\
 &= 7351,3697 \text{ N} \\
 F5 &= 0,9 * D * \cos 10^\circ + 1,5 * W_s \\
 &= 0,9 * 5205,24 * 0,985 + 1,5 * -62012,7 \\
 &= -88405,52 \text{ N} \\
 F6 &= 0,9 * D * \sin 10^\circ \\
 &= 0,9 * 5205,24 * 0,174 \\
 &= 813,49272 \text{ N}
 \end{aligned}$$

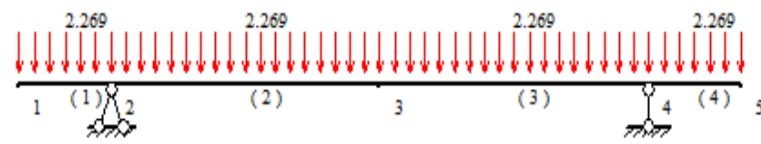
5 Membercheck

5.1 Calculation conclusion of Rail

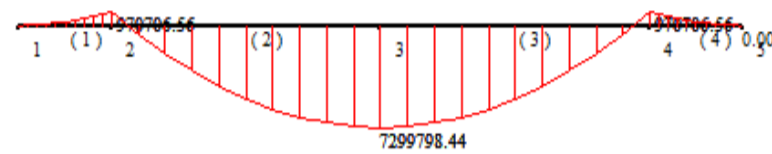
Combination first:

$$q_1 = F_1 / (\text{Rail length}) / 6 = 98721,25589 / 7250 / 6 = 2,269 \text{ N} \quad (\text{Vertical load combination on rail})$$

$$q_2 = F_2 / (\text{Rail length}) / 6 = 4285,804387 / 7250 / 6 = 0,099 \text{ N} \quad (\text{Horizontal load combination on rail})$$



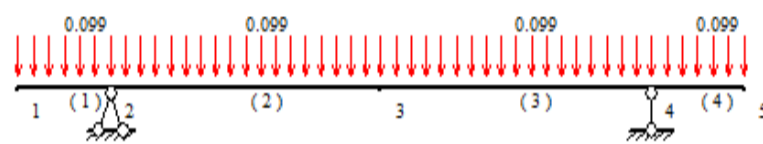
Model diagram



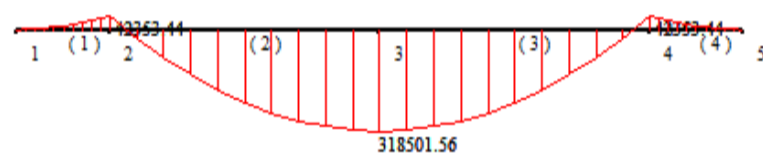
Bending moment diagram

$$M_{\max} = 7299798,4 \text{ N}\cdot\text{mm}$$

$$\sigma_v = M_{\max} / W_X = 7299798,43 / 33332,1405 = 219,002 \text{ N/mm}^2$$



Model diagram



Bending moment diagram

$$M_{\max} = 318501,56 \text{ N}\cdot\text{mm}$$

$$\sigma_h = M_{\max} / W_X = 318501,562 / 18891,32675 = 16,8597 \text{ N/mm}^2$$

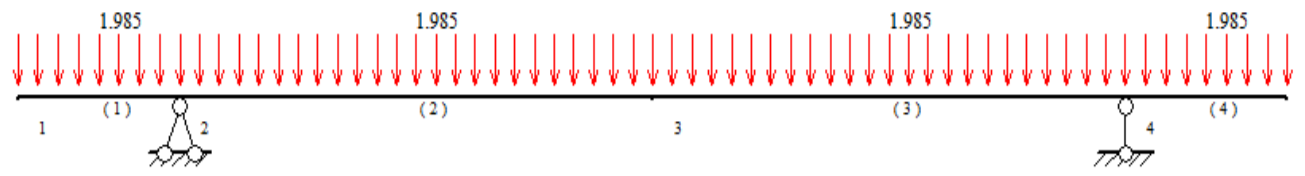
$$\sigma = \sigma_v + \sigma_h = 235,861 \text{ N/mm}^2 < 240 \text{ N/mm}^2$$

$$S = 240 / 235,86 = 1,01755$$

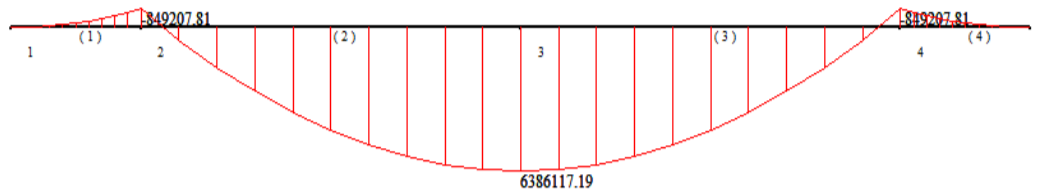
Combination second

$$q_3 = F_3 / (\text{Rail length}) / 6 = 86340,8401 / 7250 / 6 = 1,985 \text{ N} \quad (\text{Vertical load combination on rail})$$

$$q_4 = F_4 / (\text{Rail length}) / 6 = 7351,36969 / 7250 / 6 = 0,169 \text{ N} \quad (\text{Horizontal load combination on rail})$$



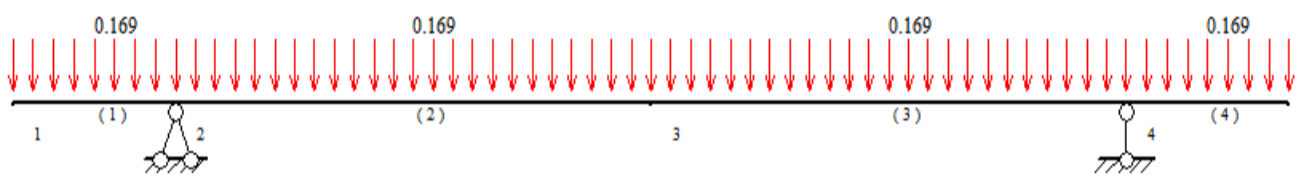
Model diagram



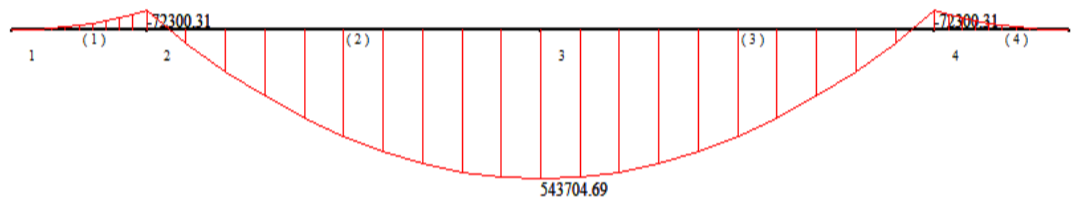
Bending moment diagram

$$M_{\max} = 6386117,2 \text{ N}\cdot\text{mm}$$

$$\sigma_v = M_{\max} / W_X = 6386117,18 / 33332,1405 = 191,59 \text{ N/mm}^2$$



Model diagram



Bending moment diagram

$$M_{\max} = 543704,69 \text{ N}\cdot\text{mm}$$

$$\sigma_h = M_{\max} / W_X = 543704,687 / 18891,32675 = 28,7807 \text{ N/mm}^2$$

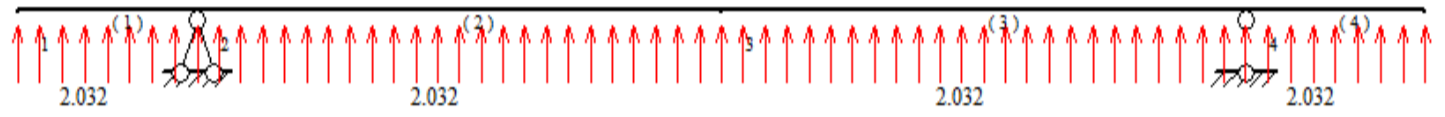
$$\sigma = \sigma_v + \sigma_h = 220,371 \text{ N/mm}^2 < 240 \text{ N/mm}^2$$

$$S = 240 / 220,37 = 1,08907$$

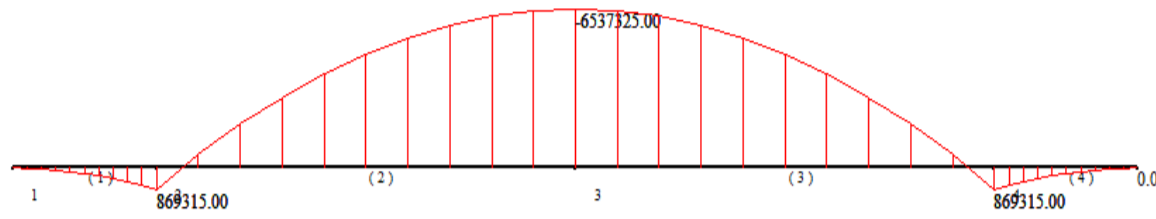
Combination third

$$q_5 = F_5 / (\text{Rail length}) / 6 = -88405,51774 / 7250 / 6 = -2,032 \text{ N} \quad (\text{Vertical load combination on rail})$$

$$q_6 = F_6 / (\text{Rail length}) / 6 = 813,4927233 / 7250 / 6 = 0,019 \text{ N} \quad (\text{Horizontal load combination on rail})$$



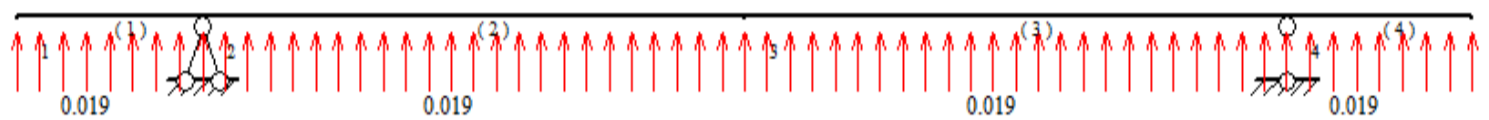
Model diagram



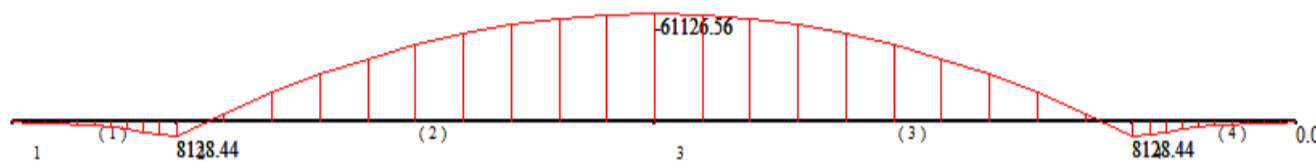
Bending moment diagram

$$M_{\max} = 6537325 \text{ N}\cdot\text{mm}$$

$$\sigma_v = M_{\max} / W_X = 6537325 / 33332,1405 = 196,127 \text{ N/mm}^2$$



Model diagram



Bending moment diagram

$$M_{\max} = 61126,563 \text{ N}\cdot\text{mm}$$

$$\sigma_h = M_{\max} / W_X = 61126,5625 / 18891,32675 = 3,23569 \text{ N/mm}^2$$

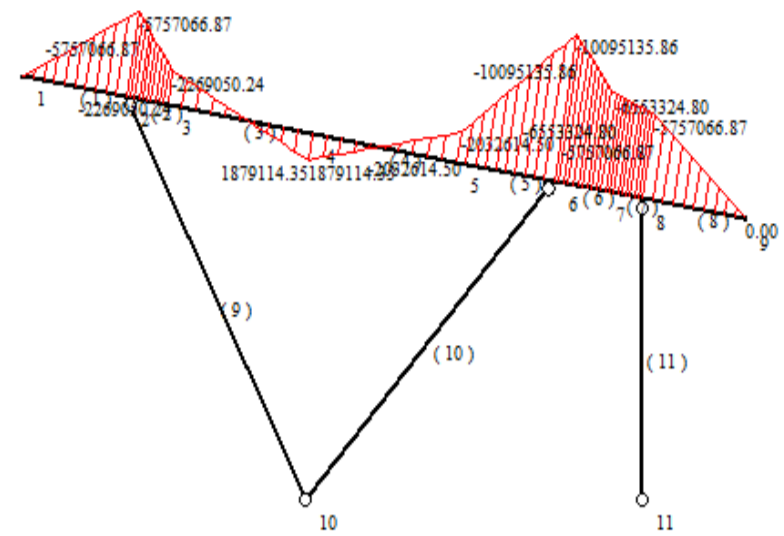
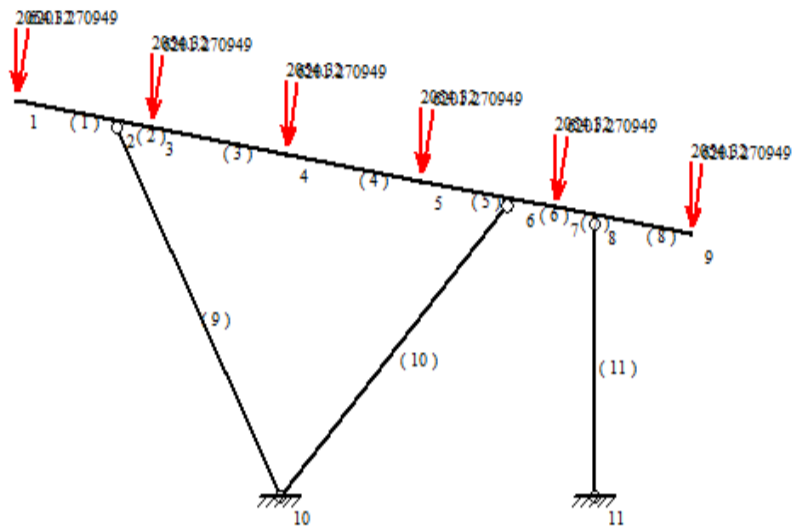
$$\sigma = \sigma_v + \sigma_h = 199,362 \text{ N/mm}^2 < 240 \text{ N/mm}^2$$

$$S = 240 / 199,36 = 1,20384$$

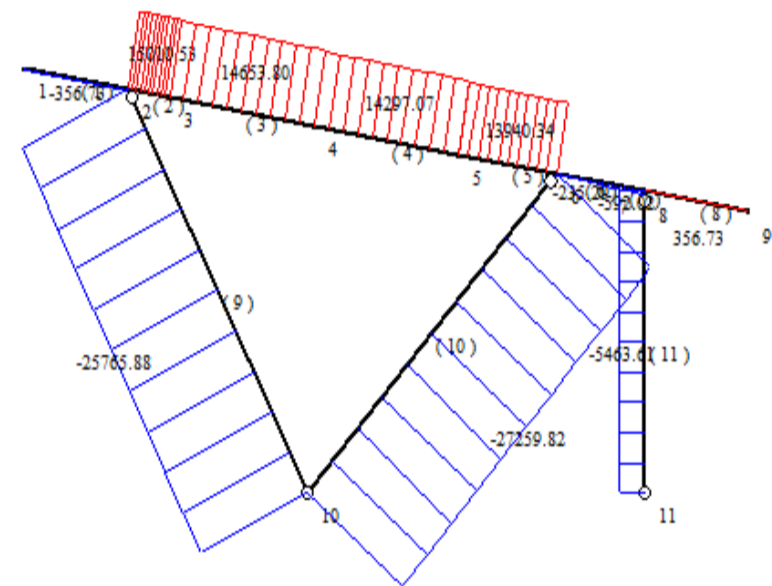
5.2 Calculation of Pre-assembled Support

Wind blowing from the front of the modules:

$$F = 6201,270949 \text{ N} \quad F_h = 2056,746984 \text{ N}$$



Bending moment diagram



Axial diagram

$$M_{max} = 10095136 \text{ N}\cdot\text{mm (Girder)}$$

$$F_{max} = 15010,531 \text{ N (Girder)}$$

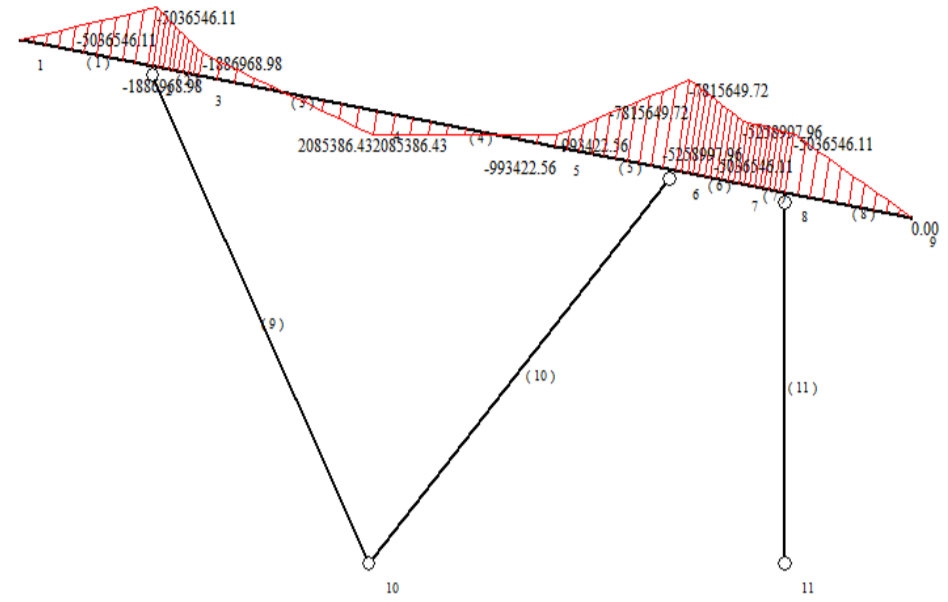
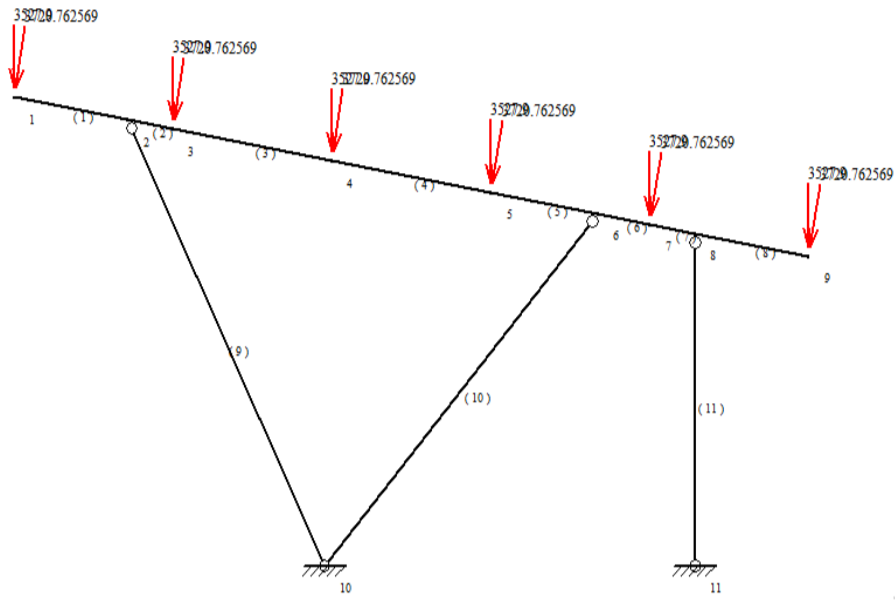
$$\sigma_v = M_{max}/W_X + F_{max}/A = 10095135,8 / 75497,03354 + 15010,53 / 1668,984 = 142,70948 \text{ N/mm}^2$$

$$F_{max} = 27259,822 \text{ N (Tube)}$$

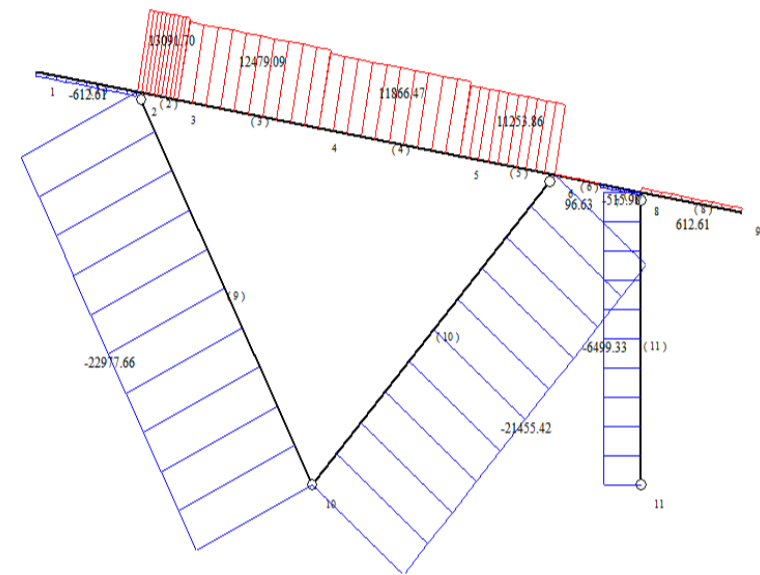
$$\sigma_v = F_{max}/A = 27259,822 / 1161,42477 = 23,471018 \text{ N/mm}^2$$

Wind blowing from the front of the modules:

F= 3720,762569 N Fh= 3527,904232 N



Bending moment diagram



Axial diagram

Mmax= 7815649,7 N·mm (Girder)

Fmax= 13091,701 N (Girder)

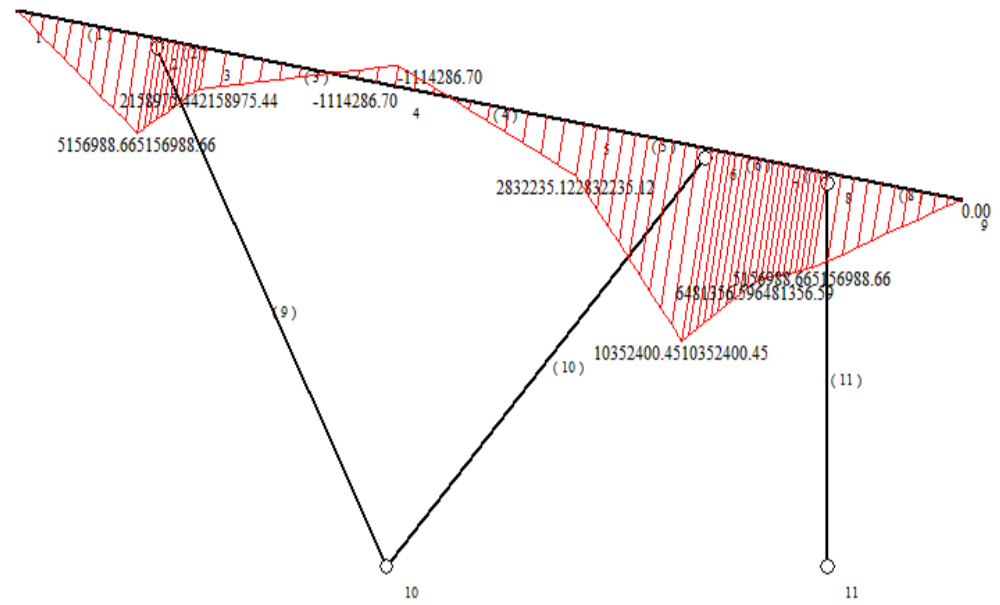
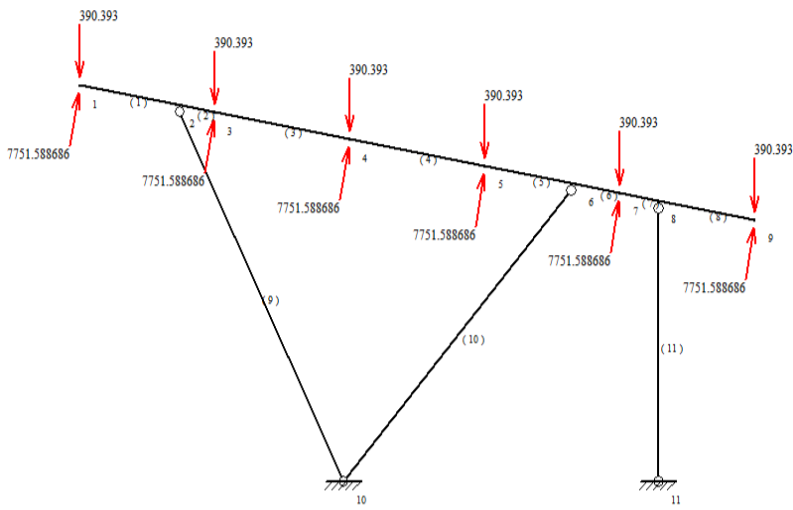
$$\sigma_v = M_{max}/WX + F_{max}/A = 7815649,72 / 75497,03354 + 13091,70 / 1668,984 = 111,36672 \text{ N/mm}^2$$

Fmax= 22977,662 N (Tube)

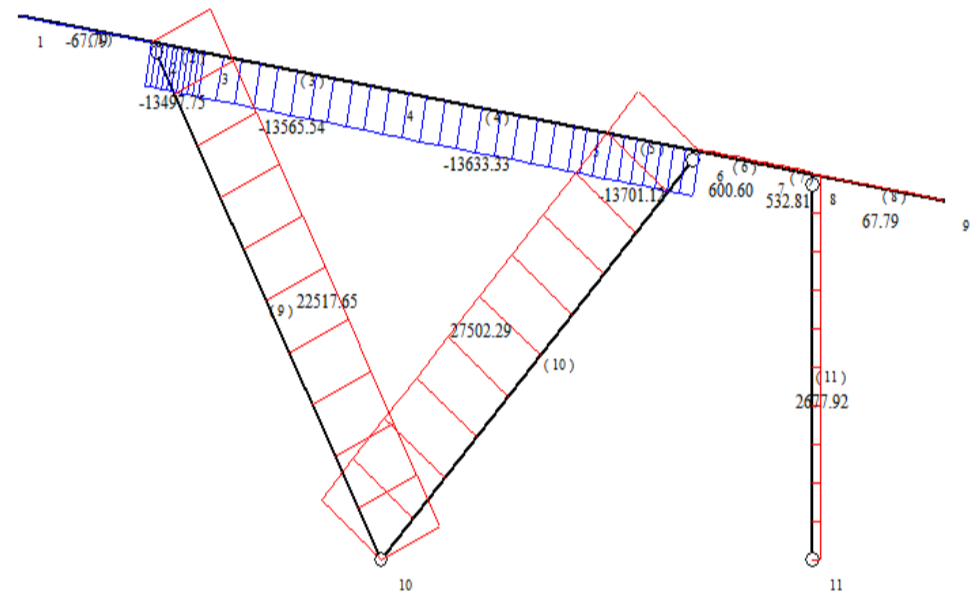
$$\sigma_v = F_{max}/A = 22977,6624 / 1161,42477 = 19,78403 \text{ N/mm}^2$$

Wind blowing from the back of the modules:

F= -7751,588686 N Fh= 390,3931569 N



Bending moment diagram



Axial diagram

Mmax= 10352400 N·mm (Girder)

Fmax= 13701,119 N (Girder)

$$\sigma_v = \frac{M_{max}}{W_X} + \frac{F_{max}}{A} = \frac{10352400,4}{75497,03354} + \frac{13701,12}{1668,984} = 145,33253 \text{ N/mm}^2$$

Fmax= 27502,285 N (Tube)

$$\sigma_v = \frac{F_{max}}{A} = \frac{27502,2852}{1161,42477} = 23,679782 \text{ N/mm}^2$$

6 summary

Items	Calculated [N/mm ²]	Permissible strength (240 N/mm ²)
Rail	235,861 N/mm ²	240 N/mm ²
Girder	145,333 N/mm ²	240 N/mm ²
Tube	23,680 N/mm ²	240 N/mm ²